

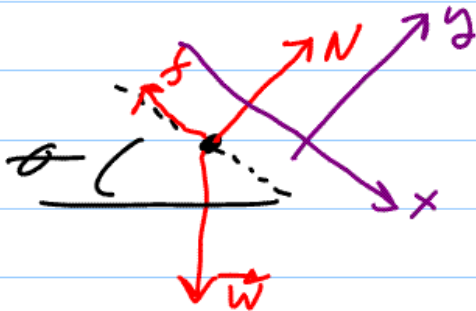
PHY138 - Mechanics - Class 6 - Sept 27/06

WEIGHT: force of gravity on an object.

stationary



model particle



$$F_{\text{net}, x} = 0$$

$$= w \sin \theta - f$$

$$F_{\text{net}, y} = 0 = N - w \cos \theta$$

LOOSE END!

$$F = ma$$

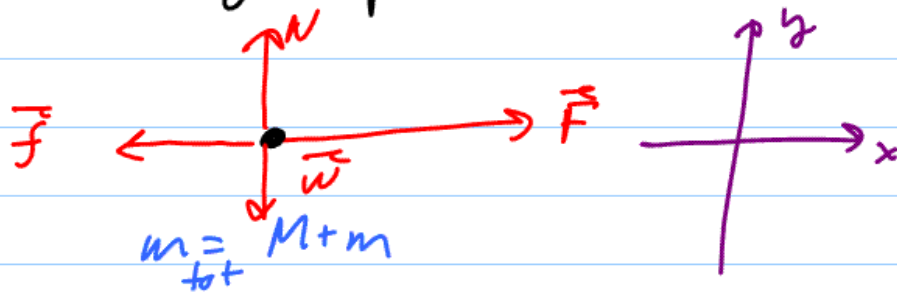
$$\text{UNITS!} = \text{kg} \times \frac{\text{m}}{\text{s}^2} \equiv \text{newton, N}$$

§ 5.4 - 5.5 - Friction & Drag

omitted from syllabus.

Example System: both blocks.

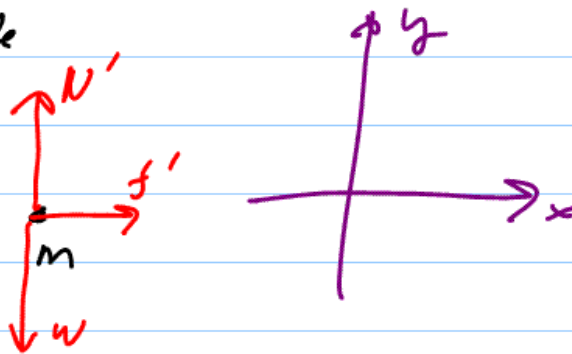
Model: single particle



$$a_x = \frac{F_{\text{net},x}}{m_{\text{tot}}} = \frac{(F-f)}{(m+M)}$$

System: upper mass

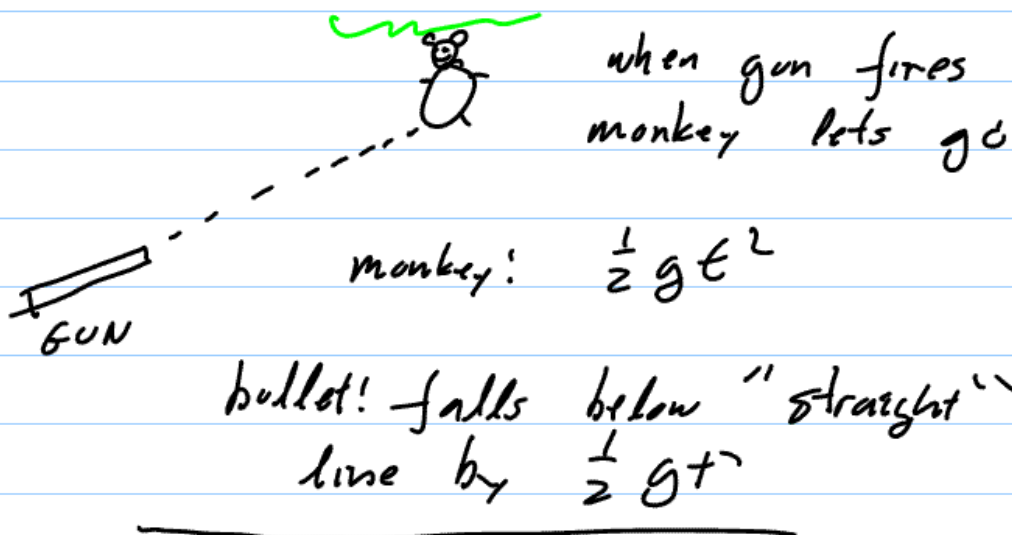
Model: particle



x: $f' = \max$

CHAPTER 6

'Motion' Cartesian components
are independent of
each other



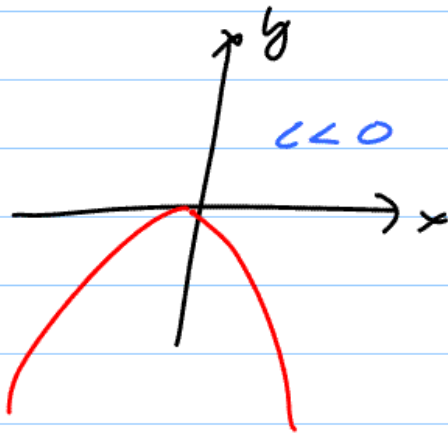
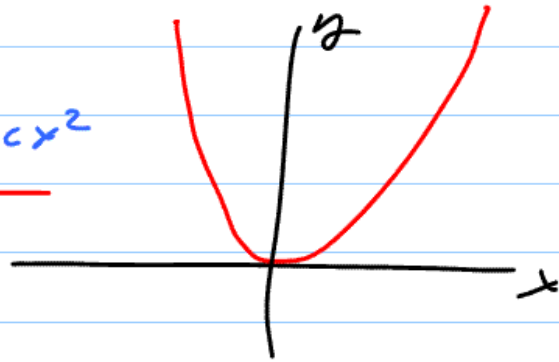
Earlier: parabolic trajectory \Rightarrow
 $a = (\text{const}, \text{down})$

Today! $a = (g, \text{down}) \Rightarrow$ parabolic trajectory



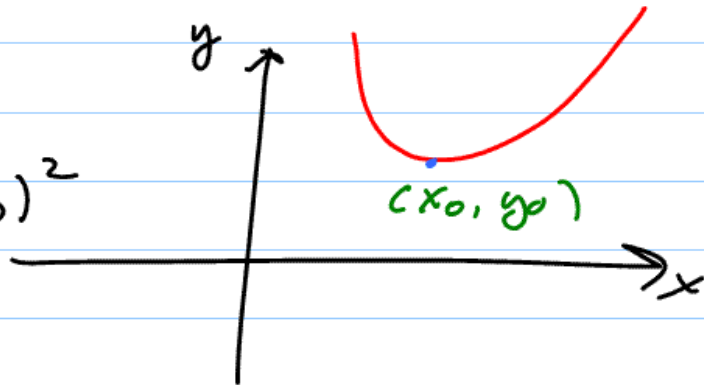
Parabolas

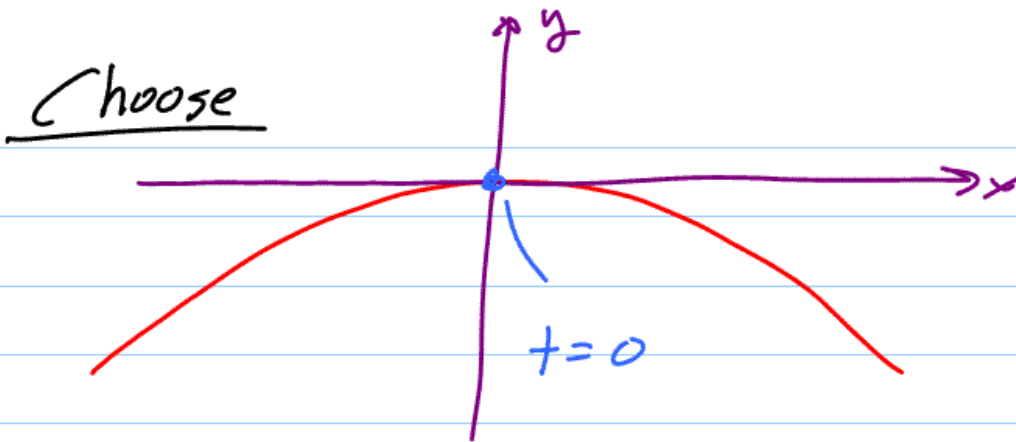
$y = cx^2$



Generic Parabola

$(y - y_0) = c(x - x_0)^2$

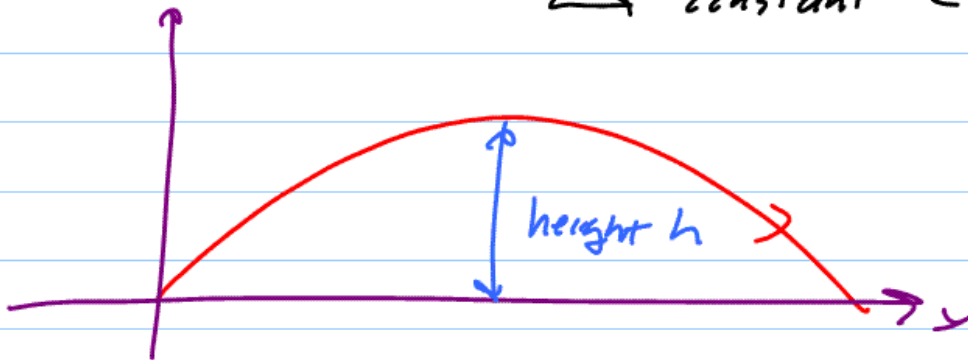




$$\left. \begin{array}{l} x = v_x \cos t \\ y = -\frac{1}{2} g t^2 \end{array} \right\} \text{eliminate } t$$

$$y = \left(\frac{-g}{2v_x^2 \cos^2 t} \right) x^2$$

↳ constant c



height is same as object
straight up \bar{c} speed

$$v_i \sin \theta$$

$$\text{Egn 2.22: } v_{f,s}^2 = v_{i,s}^2 + 2a_s \Delta s$$

$$s = \frac{1}{2}gt^2 \quad a = \frac{\Delta v}{\Delta t}$$

$$\Delta v = (v_i \sin \theta - 0) = g t$$

$$h = \frac{v_i^2 \sin^2 \theta}{2g}$$